apro de Rhouische Delebroven

Eine der wichtigster sufgoben bei der Informations über mittlung ist neben den Sendequellen ((aser) die Betelströn der Information.

Mer berden wir zehel die wichtigsten Eigenschroften und Arten von Ophischen Delectoren Rennen larnen.

1) Optische Alsorphion in Halbleitern

Der photonen absorptions prosess ist am stänksten in einem Hallbliker mit direkter Bondlicke wo die Impulserhaltung kein zusätzliches Thonon benötigt und ein Elektronen-hoch- Wergong der wertikal ein k-Ramen ist exfolgt.

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Pop(o). [exp(-xx)]. adx

er bengt die ze obsorbreite Energie Photonen der Energie tons so ist die Erzengungstate Gy (Rak pa Einheits volumen)

 $G_{\mu}(x) = \frac{\alpha \cdot P_{op}(x)}{\hbar \omega} = \alpha \cdot S_{ph}(x)$

(Fly has die Dineurionen cu-2 5-1)

School zitet fectil auf einen HI falli und durt e-h Paare ersengt,

dann hangt die Detektor - Performance zon dur Sammlung der

Ladungstrager und dennit einer Andurung der feitfährigkeich

eines Materials oder der Erseng ung eines Spannungs signals ah.

Bei Abwebenheit eines elektrischen teldes oder Konsentations grachenten

iniel benin delektrischares Signal ersengt sondern dur e-h Paare veleambning

irieler Eine erichtige Eigenschaft eines Detektors wird denet die

Stromenpfindlichkeit (vespon sirity) Rah beschrieben, die obn

Relia Pop Pop "responsivity"

ist und IL die Photo strong dichte

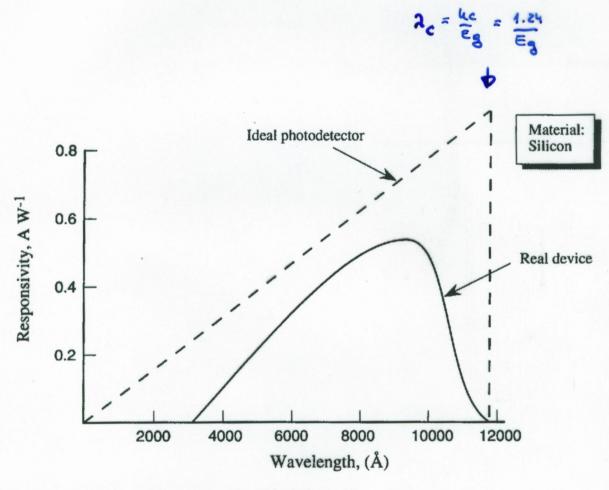


Figure 7.5: The responsivity curve of an ideal detector.

De anantum efficient enies Debeletors ma wind dunch

Pop/Ew = Reh e

obfiniert. Sie sagt uns me rèle fadungsträger von jeden einfallenden Photon gesammelt wird. Die Ethölung der na

Die Stromengefindlich keit zuies Detektors hängt stack von der Wellenlange des ein fallen den Cechtes ab.

=D Folie Fig. 7.5

2) Rouschen mol Detections limit

Un die Gitt eines Defibbors beurfriler zu 108 miehr modern mehrere Kom größen (Figure of nerit parameters) entwickelt Einer der wichtigehn Parameter ist dabei das sehnöchste (de) Stahlungs signal weldes noch defektert meden komm. Dazu uns jeslach das Rowechen eines Dekelors olistentein werden.

a) Schrolrouschen (Shot Noise)

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fallen suid diskrete Tailchen deren Aurahl statistisch fluktuieren.
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ot Poisson resteil ist, grgibt sich wenn a et die millere Aurahl der

Teil chen walde in But whereall at passierer forgande Vederling

$$P(N, \Delta t) = \frac{1}{\sqrt{2\pi}(a\Delta t)} \exp\left(-\frac{(N-a\Delta t)^2}{2a\Delta t}\right) = \frac{1}{\sqrt{2\pi}} \exp\left(-\frac{4N^2}{2\bar{N}}\right)$$

wohi N = a.st der trittelweil ist und so die Fluktualian un den trittelweit

Die Funktion tet Kaximal wenn N= Di = a.ot ist

Die RMS (Root mean square) 48 weich ung der Poison ruhitung,

d. l. das Rouselen ist von der Statistik gegeben durch

Das gemittelle signal ist duch N (= a st) gegeben

Donnil folgt ein wichtiger Bandement parameter, nautich das

Signal du Rouseh-Verhaltnis (SNR) für Schrothauschen

begunsk Delekstoven

Rieß jetel dende das Zanelenen der strom Z so wind

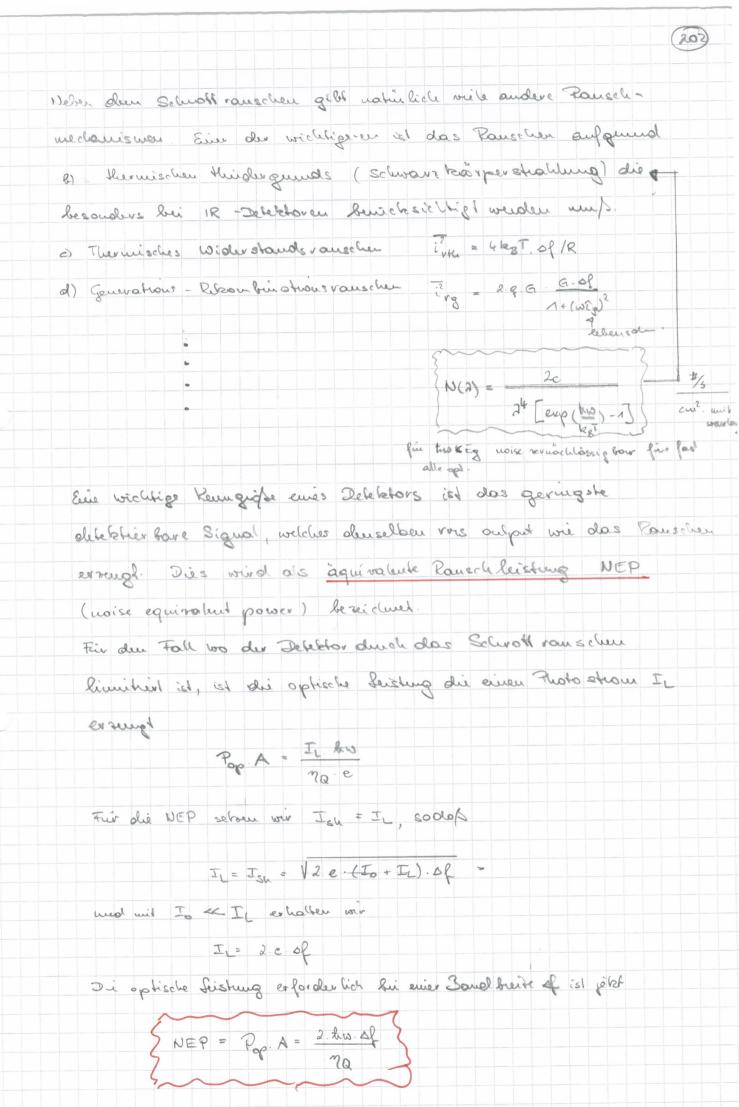
de Teilchenstrom a = = . Außerdem wird das SUR umso

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Boud heile of eines Defelsons gill, das

at li hohen frequence suite 1 SMR Verhahn

Scholl rouscher stroum:



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I ~ /2.e. Io. of

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De Nach wis grenze D (Deteletivitat) ergibl sich dannt zu

D = 1 = e . MQ NEP &w V2.e. Jo. St

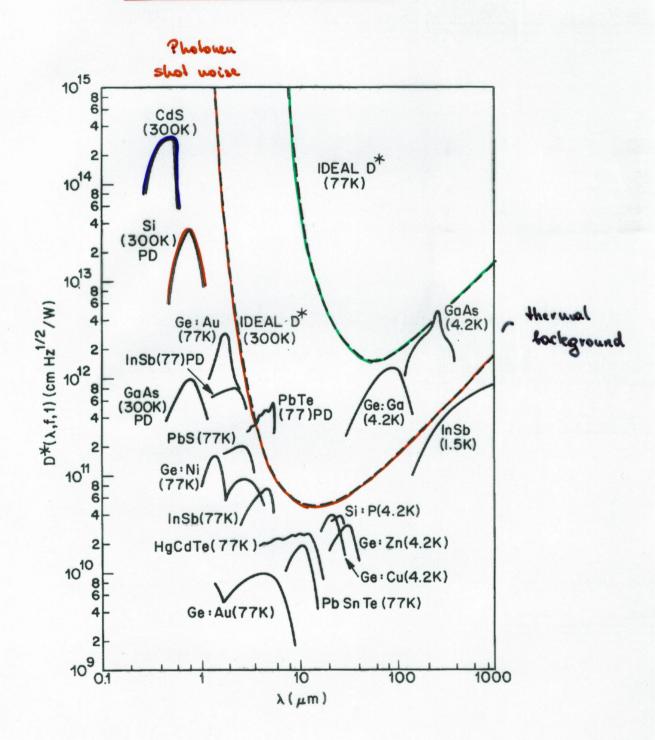
Sowold die Defektivität als auch die NEP längen von der Fläche als auch der Band freite des Defektors ab. Es wied der balb enie von dieten Parametern mabhan gipt Gigte definier, nambich die spezifischen Detektivität oder bezogenen Nachweisgnenze

D* = VA.AR = e ma NEP &w V2e Jo

In der Vall sines Defektors, wählt man nachahm die Band breiten erfordernisse enfillt suid, denjeungen Detektor mit dem höchsten D* aus.

> Folie 204 (Bild aus SZE)

spezifische Dekkhirifat D*





Malerialieu für optioche Deleboren

 $\frac{\text{InGaAs}}{\text{(Tunable } E_g)}$

- Excellent material for long haul communications (at 1.55 μ m)
- · Can be lattice matched to InP

 $\frac{\text{AlGaSb}}{(\text{Tunable } E_g)}$

- Excellent optical properties
- · Can be used for long haul communications
- Suffers from poor substrate availability, since it has to be grown on GaSb, whose technology is not matured

<u>InGaAsP</u> (Tunable *E_g*)

- * Suitable for both 1.55 μm and 1.3 μm applications for long haul applications
- Can be lattice matched to InP substrates

 $\frac{\text{HgCdTe}}{(\text{Tunable } E_{g})}$

- Excellent material for long wavelength applications in night vision and thermal imaging
- Can be used for 1.55 μm and 1.3 μm , but the technology is not as advanced as the InP based technology

 $(E_g = \frac{Si}{1.1} \text{ eV})$

- Indirect material with small a near the bandedge
- Has high β_{imp}/α_{imp} ratio and can be used in high performance avalanche photodiodes for local area network (LAN) applications
- * Not suitable for long haul communication at $\,\lambda = 1.55\,\mu m\,$ or 1.3 $\,\mu m\,$

 $(E_g = 0.7 \text{ eV})$

- \bullet Indirect material with small α near the bandedge
- Has high β_{imp}/α_{imp} ratio and can be used for avalanche photodiodes for both local area and long distance communications

 $(E_g = 1.43 \text{ eV})$

- Direct gap material
- Not suitable for high quality avalanche detectors, since $\alpha_{lmn} = \beta_{lmn}$
- · Not suited for long distance or LAN applications

Table 7.2: Important semiconductor systems for detectors.

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Reschie den Deteletoren:

- Photo strom in evier p-n Diode (Solar will)
- & Q) Photo litugo dute letor
 - P-I-N Photo deleletor c)
 - Lawinen duch buchs photodeleletor (APD)
 - Photo transistor
 - Metall Halbluter Detektor (MSM 8)
 - Quantum Well Inter subband Deteletor

Photo Science ale Debitetor Dode

Dei Einstahlung von Richt auf einen niedig datierten ML andul sich die bocher . Elletworen bourentation auts prechend

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IL= JL A = e. Sp. (m. , pp). F. A

\ I_ = e.G_L. Ep. (M. + Mp) A +

6 = e. (... . + p. p.)

6+56 P. e (m. (no+&n) + pp. (po (8p))

= 6 + e. (p. Su + up. Sp)

= 6 + e. Sp. (uu + up)

06 = 6.8b. (h., hb)



Far Ermer ung:

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pa. F = D ... Geschwindigkeich

bei hohen elektrischen Feldern gilt, daß

pa. F und p. F einfach die Sättigunge geschwindigkeiten suist

die unahlängig von der Teldstänke suid.

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Dies ist der im Strombereis er verzett Photostrom

ILP = e. G. A.L

Dies ware du Photostrau, weur jedes e-h Paar einfach eure foodung

Die Verstärkung des Photo leitung detektors ist deshalb

Gph = Il = P. (1+ pp)

oler übersche Rodungs.

Verstärkung erfolgt, da das et wehrmale durch das Bauelement gehl hovor es vekombrinist

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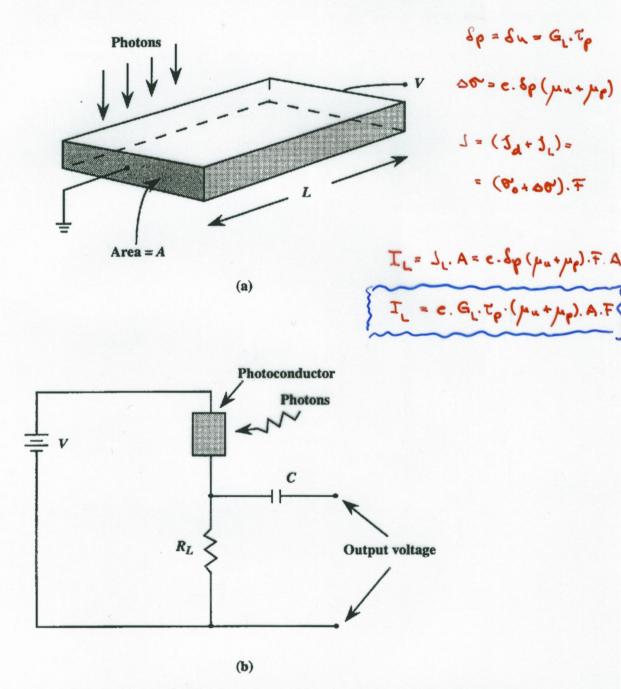


Figure 7.12: (a) Geometry of a photoconductor of length L and area A. (b) A typical bias circuit for a photodetector. Light causes a change in the resistance of the photoconductor. A blocking capacitor may be used if only the ac signal is to be detected.

P-N Diode

Einfaltendes Licht welches in der Verarmungssone Weines P-n Überganges e-h Paare erseugt. Diese werden durch das herrschende delehr. Feld getreunt und hagen sonn Strom bei

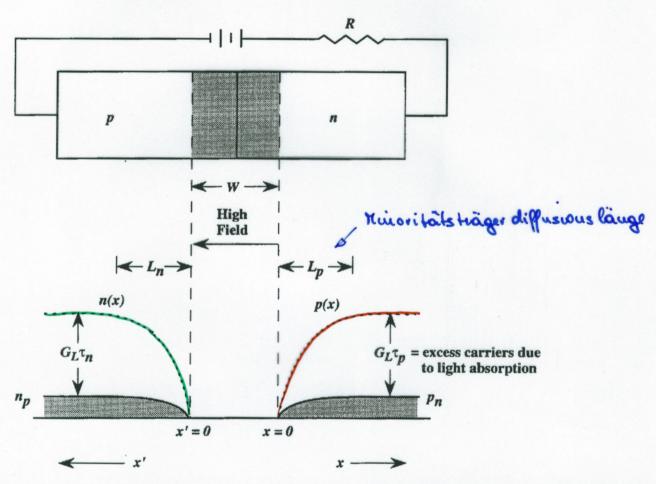


Figure 7.7: A schematic of a p-n diode and the minority carrier concentration in absence and presence of light. The minority charge goes to zero at the depletion region edge due to the high field which sweeps the charge away. The equilibrium minority charge is p_n and n_p in the n-and p-sides, respectively.

$$I_{L} = A \cdot e \cdot \int_{0}^{\infty} G_{L}(x) dx = A \cdot e \cdot G_{L} \cdot W$$

$$I_{\rho L} = A \cdot e \cdot D_{\rho} \cdot \frac{d d\rho}{dx}\Big|_{x=0} = e \cdot G_{L} \cdot L_{\rho} \cdot A$$

$$I_{uL} = A \cdot e \cdot D_{u} \cdot \frac{d du}{dx}\Big|_{x=0} = e \cdot G_{L} \cdot L_{u} \cdot A$$

$$I_{L} = I_{uL} + I_{\rho L} + I_{L} = e \cdot G_{L} \cdot (L_{\rho} + L_{u} + W) \cdot A$$



Photo voltaisch

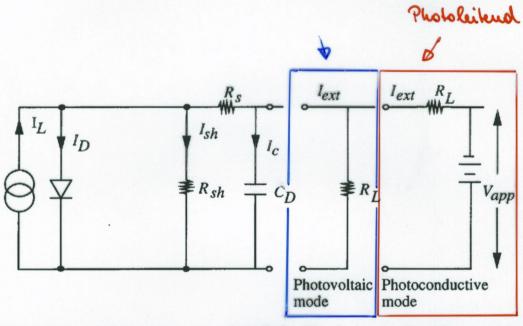
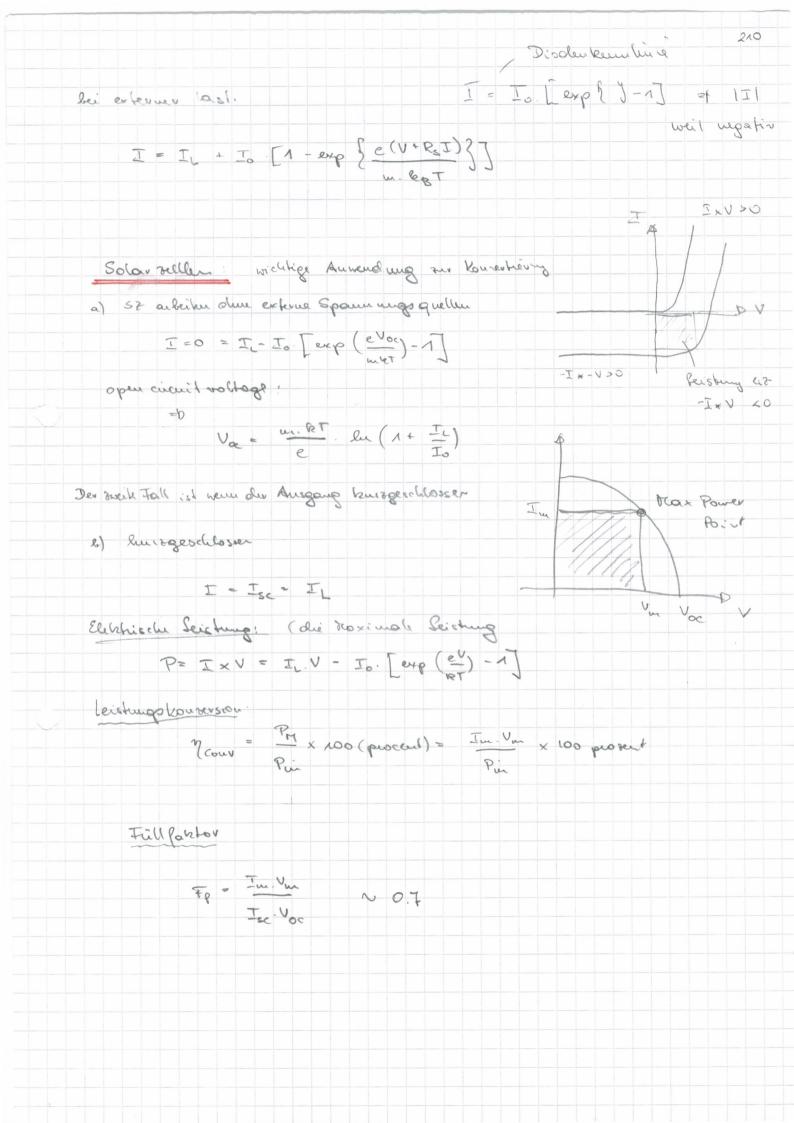


Figure 7.8: The equivalent circuit of a photodiode. The device can be represented by a photocurrent source I_L feeding into a diode. The device's internal characteristics are represented by a shunt resistor R_{sh} and a capacitor C_D . R_s is the series resistance of the diode. In the photovoltaic mode (used for solar cells and other devices) the diode is connected to a high resistance R_L , while in the photoconductive mode (used for detectors) the diode is connected to a load R_L and a power supply.



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14.1.4 *n-i-p-i* Superlattice Photoconductor [10, 11]

Recently, modulation doping in semiconductors has been introduced for novel device applications. An interesting example is a GaAs doping superlattice used as a photoconductor. For an extensive review of the compositional and doping superlattices, see Refs. 10 and 11. Here we consider a GaAs doped periodically n-type and p-type separated by intrinsic regions as shown in Fig. 14.3a. The electric field profile E(z) can be obtained by noting that $\mathrm{d}E(z)/\mathrm{d}z = \rho(z)/\varepsilon$, where $\rho(z) = +qN_D$ in the n-doped regions, $-qN_A$ in the p-doped regions, and zero in the intrinsic regions. Therefore, E(z) is either a linear profile with a positive slope qN_D/ε in n regions, a negative slope $-qN_A/\varepsilon$ in p regions, or a zero slope in the intrinsic regions (Fig. 14.3b). The potential profile for the conduction band edge $E_C(z) = -q\varphi(z) = +q\int_{-\infty}^z E(z')\,\mathrm{d}z'$ is the integral of the electric field profile and is shown in Fig. 14.3c.

For an incident light with energy above the band gap, the photogenerated carriers will fall to the band edge and will drift or diffuse to the valleys of

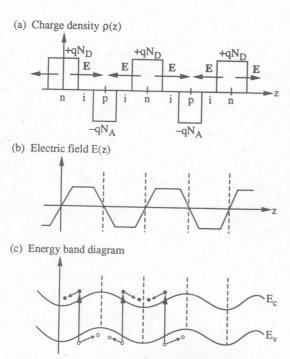


Figure 14.3. (a) The charge density profile due to ionized donors and acceptors in an n-i-p-i doping superlattice using the depletion approximation. (b) The electric field profile due to the charge distribution in (a). Notice that the electric field $\mathbf{E} = \hat{z}E(z)$ is alternating between positive and negative directions. (c) The energy band diagram of the n-i-p-i superlattice. The photogenerated electron—hole pairs are separated in real space because of the band profiles.

each band, as shown in Fig. 14.3c. The electrons are separated from the holes in real space, resulting in a very long recombination lifetime τ_n . This enhancement of a long lifetime has been found to be many orders of magnitude larger than the bulk carrier lifetime. Since the photocurrent response is proportional to $G_0\tau_n$, an extremely large responsivity using the n-i-p-i superlattice as a photoconductor can be designed.

14.2 p-n JUNCTION PHOTODIODES [12–15]

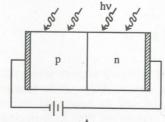
14.2 p-n JUNCTION PHOTODIODES

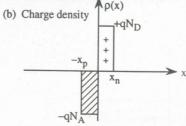
Consider a p-n junction photodiode as shown in Fig. 14.4a. The charge distribution $\rho(x)$, the electric field E(x) and the potential energy profile under the depletion approximation have been discussed in Chapter 2. Here we investigate the photocurrent response if the diode is illuminated by a uniform light intensity, described by a generation rate G(x, t), which is the number of electron-hole pairs created per unit time per unit volume. Let us focus on the n side of the diode.

The charge continuity equation is given by (2.4.2)

$$\frac{\partial p_n}{\partial t} = G(x, t) - \frac{\delta p_n}{\tau_p} - \frac{1}{q} \frac{\partial}{\partial x} J_p(x)$$
(14.2.1)

(a) A p-n junction photodiode





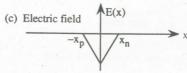


Figure 14.4. (a) A p-n junction diode under the illumination of a uniform light. (b) The charge distribution $\rho(x)$ under depletion approximation. (c) The electric field E(x) obtained from Gauss's law.

14.2 p-n JUNCTION PHOTODIODES

where $p_n = p_{n0} + \delta p_n$ is the total hole concentration in the *n* region, p_{n0} is the hole concentration in the absence of any electric or optical injection, and δp_n is the excess hole concentration due to the external injections. The minority (hole) current density in the quasi-neutral region $(x \ge x_n)$ is dominated by the diffusion component [12–14], as discussed in Chapter 2:

$$J_p(x) \simeq -qD_p \frac{\partial p_n}{\partial x} \tag{14.2.2}$$

Since p_{n0} is independent of x and t, we have at steady state, if $G(x, t) = G_0$ is independent of x and t,

$$D_p \frac{\partial^2}{\partial x^2} \delta p_n - \frac{\delta p_n}{\tau_p} = -G_0 \tag{14.2.3}$$

The above equation can be solved by summing the homogeneous and particular solutions:

$$\delta p_n(x) = \underbrace{c_1 e^{-(x-x_n)/L_p} + c_2 e^{(x-x_n)/L_p}}_{\text{homogeneous solution}} + \underbrace{G_0 \tau_p}_{\text{particular solution}}$$
(14.2.4)

where $L_p = \sqrt{D_p \tau_p}$ is the diffusion length for holes. The particular solution is due to the optical generation. If the n region is very long, we can set $c_2 = 0$; otherwise, $\delta p_n(x \to \infty) \to +\infty$, which is unphysical. We expect as $x \to +\infty$ that $\delta p_n(x)$ will approach $G_0 \tau_p =$ total photogenerated holes. At $x = x_n$, the hole concentration is pinned by the voltage bias V with the exponential dependence

$$p_n(x = x_n) = p_{n0} e^{qV/k_B T}$$
 (14.2.5)

if the Boltzmann statistics are assumed. Therefore, we obtain

$$\delta p_n(x_n) = p_{n0} (e^{qV/k_B T} - 1)$$
 (14.2.6)

and

$$\delta p_n(x) = \left[p_{n0} \left(e^{qV/k_B T} - 1 \right) - G_0 \tau_p \right] e^{-(x - x_n)/L_p} + G_0 \tau_p \quad (14.2.7)$$

The current density $J_p(x)$ is

$$J_{p}(x) \simeq -qD_{p} \frac{\partial}{\partial x} \delta p_{n}(x)$$

$$= q \frac{D_{p}}{L_{p}} \left[p_{n0} \left(e^{qV/k_{B}T} - 1 \right) - G_{0} \tau_{p} \right] e^{-(x-x_{n})/L_{p}}$$
(14.2.8)

We obtain $J_p(x)$ at the boundary of the depletion region x_n as

$$J_p(x_n) = q \frac{D_p}{L_p} p_{n0} \left(e^{qV/k_B T} - 1 \right) - q G_0 L_p$$
 (14.2.9)

where the first term is due only to the voltage bias, and the last term is due to optical generation. We see that only that portion of the photogenerated holes within a diffusion length L_p away from the depletion boundary can diffuse (and survive) to the depletion region and be swept across the depletion region by the electric field and collected as the photocurrent by the external circuits. This means that the majority of the carriers on the p side have to supply this current immediately. A parallel (or dual) approach for the electron current density at $x = -x_p$ gives

$$J_n(-x_p) = q \frac{D_n}{L_n} n_{p0} (e^{qV/k_B T} - 1) - qG_0 L_n$$
 (14.2.10)

The total current I is the sum of $J_p(x_n)$ and $J_n(-x_p)$ multiplied by the cross-sectional area of the diode A:

$$I = A[J_p(x_n) + J_n(-x_p)]$$

$$= I_0(e^{qV/k_BT} - 1) - qAG_0(L_p + L_n)$$
(14.2.11)

where

$$I_0 = qA \left(\frac{D_p}{L_p} p_{n0} + \frac{D_n}{L_n} n_{p0} \right)$$
 (14.2.12)

is the diode reverse current. The last term, $-qAG_0(L_p + L_n)$, is the photocurrent of the diode, which is proportional to the generation rate of the electron-hole pairs, G. The I-V curves of a photodiode with and without the illumination of light are plotted in Fig. 14.5. When $G_0 = 0$, the diode reverse

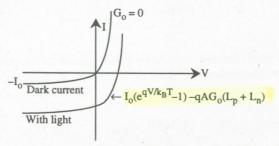


Figure 14.5. The I-V curves of a photodiode with and without illumination.

current $-I_0$ is the dark current, which is usually very small compared with the photocurrent $I_{\rm ph} \simeq -qAG_0(L_p + L_n)$ under a reverse bias condition. Therefore, the photocurrent is proportional to the generation rate G_0 , which is proportional to the incident optical power $P_{\rm opt}$.

The problems with the p-n junction photodiodes are as follows:

- 1. Optical absorption within the diffusion lengths L_p and L_n is very small, that is, over narrow regions of L_p and L_n near the depletion region. Since L_p and L_n are very small, the contributions of the photocurrents are not effective.
- 2. The diffusion process is slow, which results in a slow photoresponse if the optical intensity varies with time.
- 3. The junction capacitance C_j is simply $\varepsilon A/x_w$, where x_w is the total depletion width derived in (2.5.24) simplified for a homojunction diode with $\varepsilon_p = \varepsilon_N = \varepsilon$:

$$C_j = A \left[\frac{q\varepsilon}{2(V_0 - V)} \frac{N_D N_A}{N_D + N_A} \right]^{1/2}$$
 (14.2.13)

which can slow down the response by the RC_i time delay. For example, if $A = (1 \text{ mm})^2$, $\varepsilon = 11.7\varepsilon_0$, $N_D = 10^{15} \text{ cm}^{-3} \ll N_A$ for a p^+ -n photodiode, and $-V = 10V \gg V_0$, we obtain $C_i \approx 30 \text{ pF}$ and the 3-dB cutoff frequency $f_{3dB} = 1/(2\pi RC_i) = 100 \text{ MHz}$ for $R = 50 \Omega$.

 R_0A Product [15]. A useful figure of merit for the p-n junction photodiodes is the R_0A product. Since the photodiode is operated at zero-bias voltage in many direct detection applications, the differential resistance at zero-bias voltage R_0 multiplied by the junction area A is commonly used:

$$(R_0 A)^{-1} = \frac{1}{A} \frac{dI}{dV}\Big|_{V=0} = \frac{dJ}{dV}\Big|_{V=0}$$
 (14.2.14)

So far, we have derived the dark current I_0 contributed by the diffusion processes in this section. Using (14.2.11) and (14.2.12), we obtain

$$(R_0 A)^{-1} = \frac{q^2}{k_B T} \left(\frac{D_p}{L_p} p_{n0} + \frac{D_n}{L_n} n_{p0} \right)$$

$$= \frac{q^2}{k_B T n_i^2} \left(\frac{D_p N_D}{L_p} + \frac{D_n N_A}{L_n} \right)$$

$$= \frac{q}{n_i^2} \sqrt{\frac{q}{k_B T}} \left(N_D \sqrt{\frac{\mu_p}{\tau_p}} + N_A \sqrt{\frac{\mu_n}{\tau_n}} \right)$$
(14.2.15)

where we have used the relations $p_{n0} = N_D/n_i^2$, $n_{p0} = N_A/n_i^2$, and the Einstein relations $D_p/\mu_p = D_n/\mu_n = k_BT/q$. The first term in (14.2.15) is the contribution to $1/(R_0A)$ from the diffusion current on the n side of the photodiode, and the second term is from the diffusion current on the p side. There can also be other contributions to R_0A products, such as the generation–recombination current in the space-charge region, the surface leakage current, and the interband tunneling current, which depend on the material properties, device geometry, and surface conditions.

For a root-mean-square photon flux density Φ (number of photons per second per unit area) of monochromatic radiation at a wavelength λ , we can write the rms photocurrent

$$i_p = q\eta \Phi A = q\eta \frac{P_\lambda}{h\nu} \tag{14.2.16}$$

where A is the photodetector illumination area, $\Phi = P_{\lambda}/(h\nu A)$, P_{λ} is the root-mean-square input optical power at λ ($P_{\lambda} = p_{\rm rms} = mP_{\rm opt}/\sqrt{2}$), and η is the quantum efficiency of the photodiode including the effects of the internal quantum efficiency, the reflection, and the absorption depth. The current responsivity is therefore

$$R_{\lambda} = \frac{i_p}{P_{\lambda}} = \eta \frac{q}{h\nu} \tag{14.2.17}$$

The signal-to-noise ratio S/N (current) is

$$\frac{S}{N} = \frac{i_p}{\sqrt{\langle i_n^2 \rangle}} = \frac{R_{\lambda} P_{\lambda}}{\sqrt{\langle i_n^2 \rangle}}$$
(14.2.18)

The detectivity for the above S/N is defined as

$$D_{\lambda}^{*} = \frac{R_{\lambda} \sqrt{A \Delta f}}{\sqrt{\langle i_{n}^{2} \rangle}} \text{ cm (Hz)}^{1/2} / \text{W}$$
 (14.2.19)

For a photodiode at thermal equilibrium (i.e., no externally applied voltage and no illumination of light), the thermal noise depends on the zero bias resistance R_0 using (14.1.59):

$$\langle i_n^2 \rangle = \frac{4k_B T \Delta f}{R_0} \tag{14.2.20}$$

14.3 p-i-n PHOTODIO

When not in thermal equilibrium, the I-V curve is

$$I(V) = I_0(e^{(qV/k_BT)} - 1) - I_{ph}$$
 (14.2.21)

$$I_{\rm ph} = q \eta \Phi_B A \tag{14.2.22}$$

where Φ_B is the photon flux density due to the background radiation. The mean-squared shot noise current has contributions from three additive terms [15]: (1) a forward current, which depends on voltage, $I_0 \exp(qV_B/k_BT)$, (2) a reverse diode saturation current, and (3) the background radiation induced photocurrent. Since these shot noise currents fluctuate independently, the total mean-squared shot noise current is

$$\langle i_n^2 \rangle = 2q \left(I_0 e^{qV/k_B T} \Delta f + I_0 \Delta f + I_{\text{ph}} \Delta f \right)$$
 (14.2.23)

At an operation voltage V=0, $R_0^{-1}=(\mathrm{d}I/\mathrm{d}V)_{V=0}=qI_0/k_BT$ and (14.2.23) can be written as

$$\langle i_n^2 \rangle = \left(\frac{4k_B T}{R_0} + 2q^2 \eta \Phi_B A \right) \Delta f \tag{14.2.24}$$

The detectivity at zero bias voltage is then obtained from (14.2.19)

$$D_{\lambda}^{*} = \left(\frac{q\eta}{h\nu}\right) \frac{1}{\left[(4k_{B}T/R_{0}A) + 2q^{2}\eta\Phi_{B}\right]^{1/2}}$$
(14.2.25)

For a thermally limited case, i.e., when the thermal noise is dominant over the background radiation induced signal and other noises, we have

$$(D_{\lambda}^{*})_{T} = \frac{q\eta}{h\nu} \sqrt{\frac{R_{0}A}{4k_{B}T}}$$
 (14.2.26)

which relates the R_0A product to the thermally limited detectivity. If the photodiode is background radiation limited, which means that the background radiation-induced photocurrent is dominant, we have

$$(D_{\lambda}^{*})_{\text{BLIP}} = \frac{1}{h\nu} \sqrt{\frac{\eta}{2\Phi_{B}}}$$
 (14.2.27)

which is the detectivity of the background limited infrared photodetector (BLIP).

14.3 p-i-n PHOTODIODES [8]

To enhance the responsivity of the photodiode, an intrinsic region used as the major absorption layer is added (Fig. 14.6a). For a light injected from the p^+ side with an optical power intensity $I_{\rm opt}$ (W/cm²), the generation rate is

$$G(x) = (1 - R)\eta_i \left(\frac{I_{\text{opt}}}{h\nu}\right) \alpha e^{-\alpha x}$$
 (14.3.1)

The optical power intensity $I_{\rm opt}$ is the incident optical power $P_{\rm opt}$ divided by the area A ($I_{\rm opt} = P_{\rm opt}/A$). Note that the total injected number of electrons

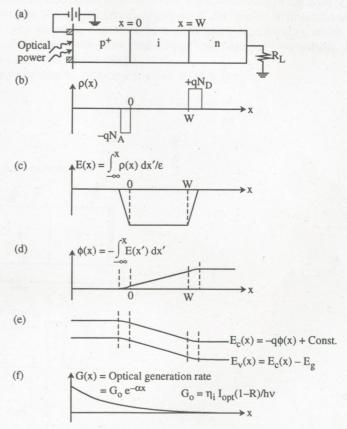


Figure 14.6. (a) A p-i-n photodiode under optical illumination from the p^+ side, (b) the charge density $\rho(x)$ under depletion approximation, (c) the static electric field profile E(x), (d) the electrostatic potential $\varphi(x)$, (e) the conduction and valence band edge profiles, and (f) the optical generation rate G(x).

Makerialaus wall: Pin PIN Deteletoren

Fin Dekletoven:

- a) haber Absorptions boofficient
- .) (in abertagungs technike mil Gars/ Gert As (two ~ 1.45 eV) = DS: - Deteletoren (Absorptions lange W > 10 pm)
 -) langueller ûberhogung bei 1.55 pm

=D Ge-Dekktoren

for hochgeschwindigheit anwendung ist protoch ein direkter Halbleiker not wendig:

=D InGaAs detektoren

Nachtsichtgerate:

Hg x Gol 1-x Te

JuAs

Problem: hoher Dunkelstrom (In der Diode)

=D Kiehlung oft out LHez oder LN2

Nach der Auswahl des Materials

-) Nivi mer ung der Ober flächen reflexion (Antiveflex beschichtung)
- I Maximerung der Absorption in der Verarungszone (hobes of)
-) Minimering der ladungs hagerreken binahan (=> hochreines Takvial (kerie Storsteller)
- ·) Minimierung der Transitzeit

Für boch frequent anwend ungen wirsten auch RC-konstanten und benicksicht CD = E.A / Flàcle
Transilseit und Rg ... Sevien violenstand.

D A veduzieven

10 = 1 = 0 | f 3aB = 2.4 = 0.4. vsat = 0.4. x vs

PIN - Dekktor

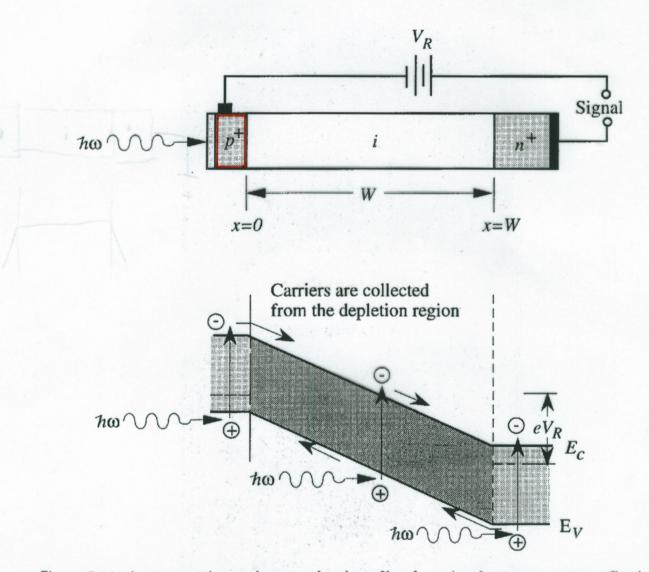


Figure 7.14: A cross-section and energy band profile of a *p-i-n* detector structure. Carriers generated in the depletion region are collected and contribute to the current. If the intrinsic region is thick, the photocurrent is dominated by carriers collected from the depletion region since the carriers generated in the neutral regions contribute a smaller fraction of photocurrent. Since the photocurrent is dominated by the prompt photocurrent, the device response is fast.

PIN-Dekktor

Wird in Spervichtung betrieben, jedoch work wicht so hach, old Stabination auflit.

Ju Sperrichtung: Dunkelstrøm Jo Klein und unaktangig son V Sadungshåger im i-Bereich (Feld) D sohr schuell

I = e. A. S. G. (x)dx

G_(x) = x. Sph(0). exp(-ax)

I_ = e. A. Jph (a) [1 - exp(-ab)]

mit Reflexion: -D Autirefex beschichtung

IL = e.A. Joh (1-R) [1-exp(xw)]

= Defeletor efficient: (Photostromolicule sum linfollemen Fly)

 $\eta = \frac{T_L}{A \cdot J_{ph}(0)} = (A - R) \left[1 - exp \left(- o l l \right) \right]$

=D blemes R

larges W (transition) = D bis 10 GHz (U & 1/m)

lei su graßen is wind die Transitzeit zu lang und reduziert destalb die Jahallgeschwin dipkeit des Janelements

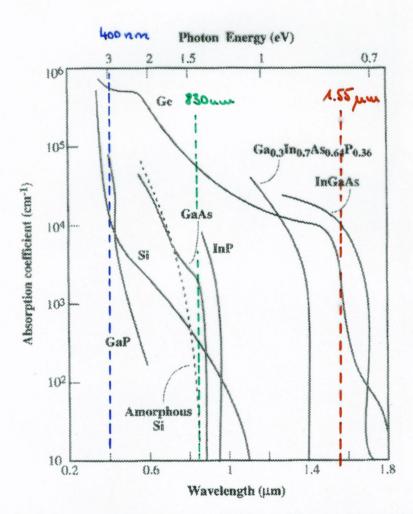
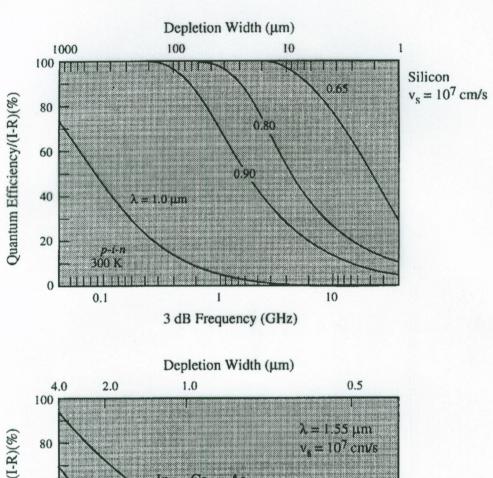


Figure B.4: Absorption coefficient as a function of wavelength for several semiconductors.



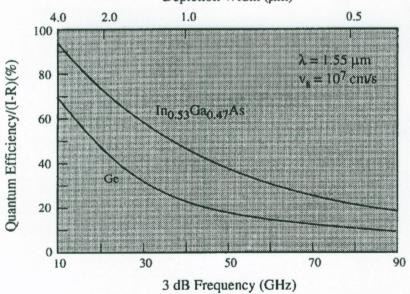


Figure 7.15: a) The 3dB frequency and quantum efficiency tradeoffs in a silicon detector. Results are shown for several wavelengths. b) The high frequency-quantum efficiency tradeoffs in $In_{0.53}Ga_{0.47}As$ and Ge detectors for 1.55 μm radiation.

Der formundench bruchschekktor (APD)

Dieser Dekktortyp mitet die Stoßionisation oder den Saminendunch. burch aus um hoch serstärkende Banclemente zu erholten.

Wahrend bei der PIN-Diode der Gain höchstens 1 werden kann, können bei der APD sehr hohe Verstonkung erreicht werden.

Bein lawinendunch bunch ersengt ein hoch energetisches Elektron ein e-h Paar und verrielfältigt dadunch die von einem Photon ersengten fachungsträger. Dieser Proxess erfolgt bei haben elektrischen Foldern.

Das Ausgauge signal wind destralls verstarkt.

siele Folie Fig. Y. 16 + BZ + B3

De stopioni sotions koeffisienten fin Elektronen und föcher werden Zimp und Simp beseichnet

Wegen der hohen fadungs trager ver viel faltigung werden APD in der optischen Nachrichten übertragung weit enige tebet.

Da der Pulliplikations prosess jedoch sufallig ist, ist der Detektor jedoch sehr Bausch behaftet.

Der Rausch level hängt son dem Philtiplikations faktor und som & ing / ping Valialtuis ab (=0 Si-Detalor on)

Design Regeln:

1) Absorptions beveich wie bei PIN v 1/2(tw) = D Verarmungs some dick grunp 1) Absorptions- und faminen durch burchs beveich sind unterschrödlich in Allgemeine

= Dwichige Stuketur: "reach florough" = Durchveich stuketur

+ Fig. 7.17

nt-p-TI-pt

T... Absorptions beveich

1) Ge-APD leiden unter hoben Dunkelstrom = D gain mir ~ 10-20

Vor- und Nachkile nerschiedener Dekebbren

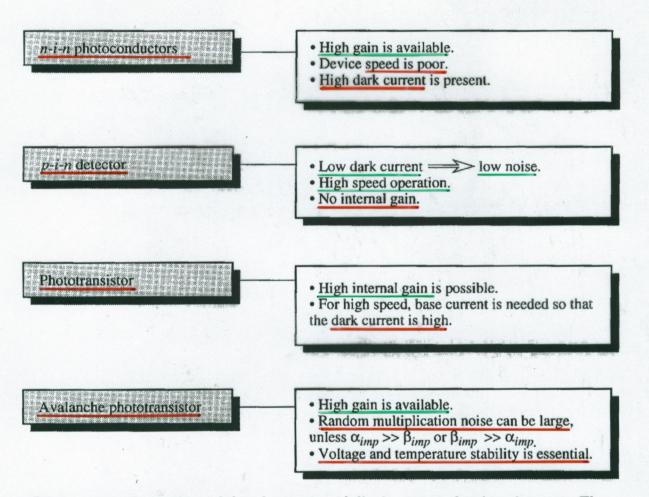


Figure 6.18: A comparison of the advantages and disadvantages of various detectors. The p-i-n and APD devices are chosen for high-speed applications. An amplifier is used in the receiver circuit.

TOPICS STUDIED KEY OBSERVATIONS · A reverse biased junction where electric Avalanche photodetector, APD fields are so high as to cause carrier multiplication. · By proper device design, gain of up to 100 can be achieved. • The device is, however, not fast and is quite **Phototransistor** · A detector based upon bipolar transistor technology. · Current due to carriers generated in the base can be amplified to produce a high gain detector. · A high performance detector that uses a Metal-semiconductor detector Schottky barrier to sweep the e-h pairs to generate photocurrent. · The device is simple to fabricate and to integrate with other devices.

Table 6.3: Summary table

Verschiedene Dekktoren

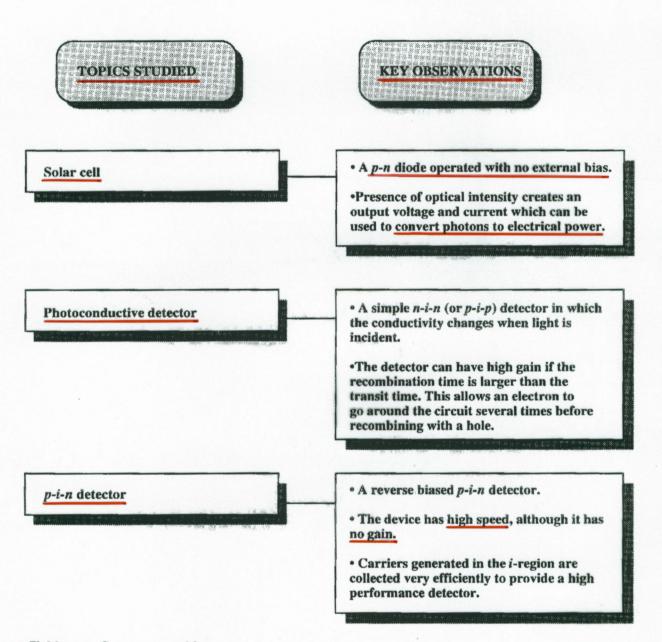


Table 6.2: Summary table

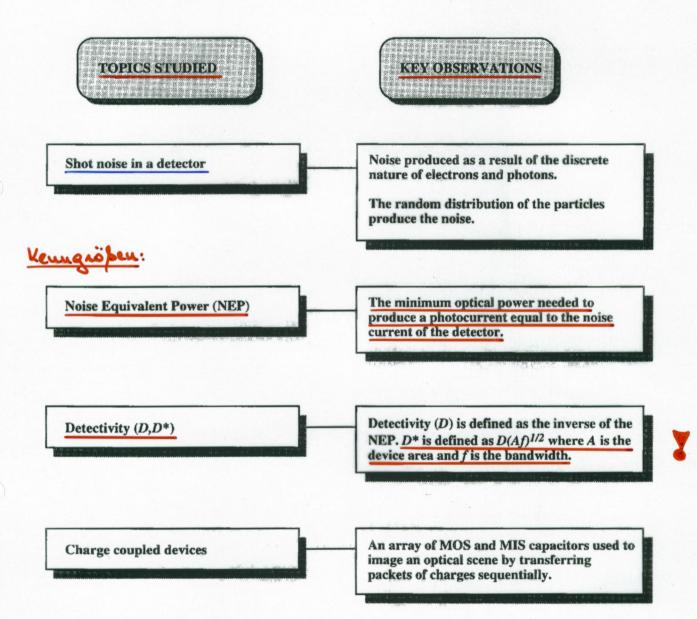


Table 6.4: Summary table

Zusammenfassung - Deketoren

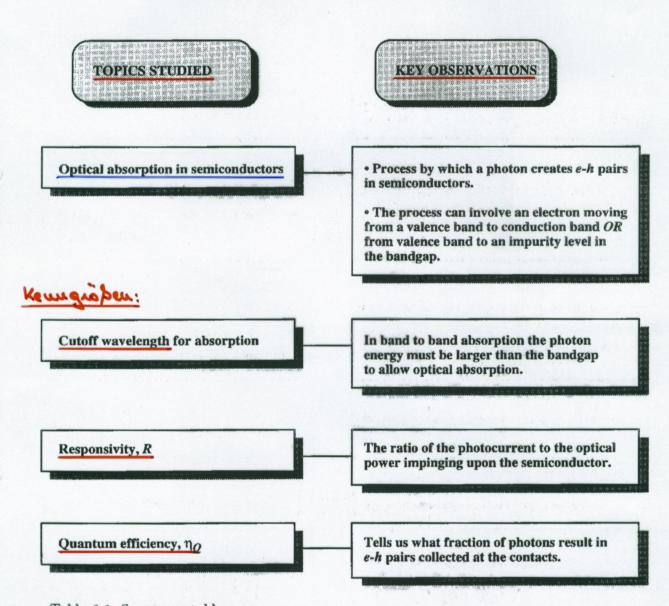


Table 6.1: Summary table

	Verstärkung "G"	Ansprechzeit/s
Fotoleiter	1 - 10 ⁶	10 ⁻² - 10 ⁻⁸
Sperrschichtfoto- detektoren PN- "	1	10 ⁻⁸ - 10 ⁻¹⁰
PIN- "	1	$10^{-8} - 10^{-10}$
MS- "	1	10-12
Hetero- "	1	10-12
MIS- "	1	10-8
Lawinenfotodioden	<10³	$10^{-8} - 10^{-10}$
Fototransistor	<10³	$10^{-6} - 10^{-8}$
Fotothyristor	<10²	10-6

Tafel 3.4 Beispiele von Verstärkung und Ansprechzeiten typischer Fotodetektoren

IR-Deketoren

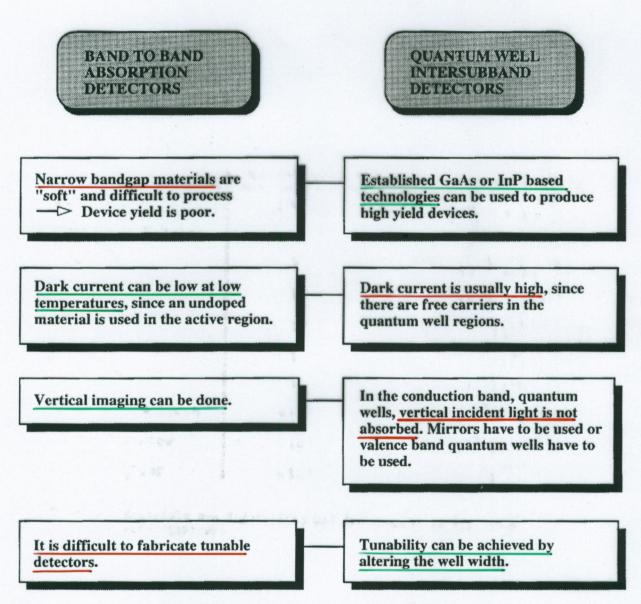


Figure 7.24: A comparison of band to band absorption detectors and quantum well intersubband detectors for long wavelength detectors

7.10 QUANTUM WELL INTERSUBBAND DETECTOR

An important application of detectors is in the area of the detection of long wavelength radiation (λ ranging from 5-20μm). If a direct band to band transition is to be used for such detectors, the bandgap of the materal has to be very small. An important material system in which the bandgap can be tailored from 0 to 1.5 eV is the HgCdTe alloy (see Figs. 7.2 and 7.6). The system is widely used for thermal imaging, night vision applications, etc. However, the small bandgap HgCdTe is a very "soft" material which is very difficult to process. Thus the device yield is rather poor. The quantum well intersubband detector offers the advantages of long wavelength detection using established technologies such as the GaAs technology.

In Fig. 7.23, we show a quantum well which is doped so that the ground state has a certain electron density and the excited state is unoccupied. As discussed in Chapter 4, Section 4.6, when a photon with energy equal to the intersubband separation impinges upon the quantum well, the light is absorbed and the ground state electron is scattered into the excited state.

For the absorption process to produce an electrical signal, one must have the following conditions satisfied:

i) the ground state electrons should not produce a current. If this is not satisfied, there will be a high dark current in the detector. The electrons in the ground state carry current by thermionic emission over the band discontinuity. At low temperatures this process can be suppressed.

ii) It should be possible to extract the excited state electrons from the quantum well so that a signal can be produced. The excited electron state should, therefore, be designed to be near the top of the quantum well barrier, so that the excited electrons can be extracted with ease by an applied electric field.

In Chapter 4, Section 4.6, we had seen that absorption coefficients for the intersubband transitions can approach 10^4 cm⁻¹. Thus a series of multiquantum wells with an effective width of $\sim 1.0 \ \mu m$ can be used for efficient detection of light. Also, it is possible to tailor the intersubband separation by either the well width variation or by the barrier height variation. Thus an extremely versatile device can be fabricated.

We had discussed in Chapter 4 that for the conduction band quantum well in which the central cell symmetry of the states is pure s-type, the light is absorbed only if it is incident z-polarized. Here z is the quantum well growth direction. Thus, for vertical incidence, there is no absorption. This is an important drawback for such detectors. One way to overcome this problem is to use etched mirrors on the surface to reflect vertically incident light so that it has a z-polarization. Another way to avoid this is to use the intersubband transitions in the valence band where, due to the mixed nature of the HH and LH states, the z-polarization rule is not valid. However, the poor hole transport properties and the difficulty in reducing the dark current reduce the detector performance. In Fig. 7.24, we show a comparison of the band to band and intersubband detectors for long were length detectors.

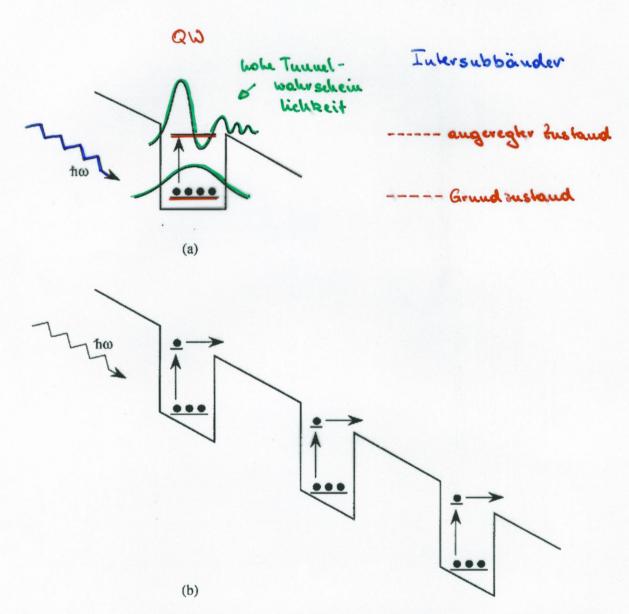


Figure 7.23: (a) A schematic of the electron wavefunction in the ground state and the excited state. The photon causes transitions to the excited state from where the electrons are collected as shown in (b).

Tres

Schottky barrier based devices involve two kinds of configuration. In Fig. 7.21a we show a device which is a simple mesa structure with an n+ layer on a semi-insulating substrate. The active absorbing layer is lightly doped $(N_d \sim 10^{15} \text{ cm}^{-3})$ and a thin semitransparent metal layer is deposited on it. The metal film is thick enough to allow the Schottky barrier formation (~300-400 A) but thin enough to allow light to pass through. For high performance the metal film is coated with dielectric anti-reflection coatings and the device area is kept as small as 10^{-5} cm² (~50 μm diameter mesa diodes).

The band profile of the Schottky barrier diode is shown in Fig. 7.21b along. Also shown are the Schottky barrier height edin and the potential drop across the barrier. When light impinges upon the diode, the diode can respond in two important regimes:

i) $\hbar\omega > e\phi_{5n}$: In this case, electrons can be excited in the metal barrier to overcome the Schottky barrier height. As a result, a photocurrent will flow in the device. This current will add to the dark current in the reverse bias diode.

ii) $\hbar\omega > E_d$: In this case, c-h pairs will be created in the semiconductor. As in the case of the photodiode, the carriers generated in the depletion region will be swept out to produce photocurrent.

In high speed devices the depletion region is less than a micron so that device speeds can be extremely high. With proper design Schottky barrier diodes can operate up to 150 GHz.

BI TISM

A second class of metal semiconductor detectors is the metal-semiconductormetal (MSM) detector in which two Schottky barriers are placed in a planar geometry close to each other. In actual design the approach used is the interdigitated scheme shown in Fig. 7.22a. The spacing between the fingers is $\sim 1.5 \mu \text{m}$ so that when a bias is applied between the contacts, the region between the fingers can be completely depleted.

As seen in Fig. 7.22b, when a bias is applied across the fingers, one junction becomes reverse biased, while the other one becomes forward biased. However, since the semiconductor is depleted, the current in the forward biased junction is not the usual high electron forward bias current. Instead, the dark current in the forward biased junction is due to the hole current injected from the metal over the barrier $e\phi_{bv}$ as shown in Fig. 7.22b. As a result, under a strong applied bias, the dark current of the device is equal to the reverse saturation currents from electrons and holes. As discussed in Chapter 6, we have for the dark current density

current density is usually higher than that achievable in p-i-n diodes for reasons discassed in Chapter 6. However, sufficiently low dark current can be achieved for most applications.

The MSM detectors are found to have internal gain, often at even low applied biases where impact ionization cannot occur. This suggests the possibility of photoconductive gain enhanced by traps which may capture and re-emit either electrons or holes. MSM diodes have been fabricated in both GaAs and InGaAs systems. Thus these devices can be applicable in both local area networks and long hanl communication systems. It is also important to point out that MSM detectors are very attractive for OEIC applications.

A# = w*.e.ke² ~ 120 (m*) [Acm² K²] ... eff. Richardson konstank

HSH - Dekktor

(besouders wichig, revuendet 2 schottky barrieren)

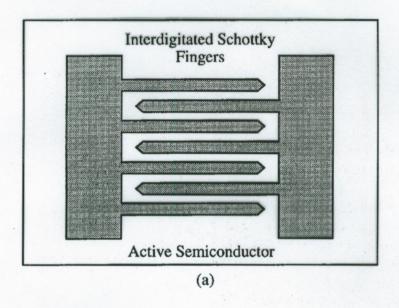
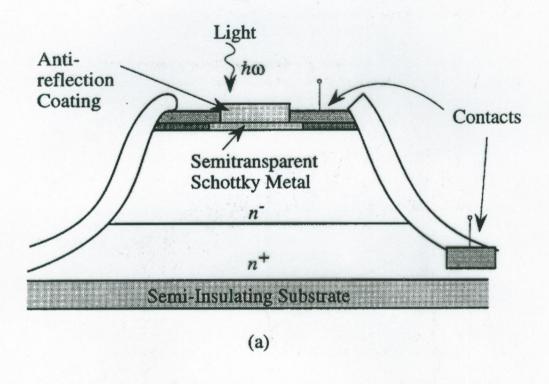


Figure 7.22: (a) A schematic of the MSM detector using interdigitated Schottky fingers. (b) Band profile of the MSM photodiode under an applied bias.

Schotley - Barrieren - Detektor



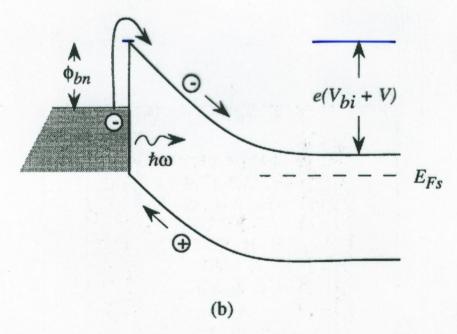


Figure 7.21: (a) A schematic of the Schottky barrier detector. (b) The band profile of the detector. V_{bi} is the built-in voltage and V is the applied bias.

7.8 THE PHOTOTRANSISTOR

While the APD discussed above provides very high gain detection, it is an inherently high noise device due to the random nature of the carrier multiplication process. Another device which can produce gain and function as a detector is the bipolar transistor. The phototransistor, the name for the bipolar device used for optical detection, provides high gain due to the transistor action. The device is also a low noise device when compared to an APD.

The bipolar transistor is essentially a device with two coupled p-n diodes, as shown in Fig. 7.20a. The n-p-n transistor is discussed in Appendix D, where we present the underlying operation principles of current gain and transistor action. In this subsection, we will use the results derived in Appendix D to understand how the phototransistor works.

When a bipolar device is biased in the forward active mode (i.e., the emitter-base junction (EBJ) is forward biased and the base-collector junction (BCJ) is reverse biased), the band profile has the form shown in Fig. 7.20b. Normally, in a bipolar transistor, the injection of a small base current causes a small change in the forward bias across the EBJ, causing a large injection of current in the forward biased junction. If the base width is small and the base is of high quality, essentially all of this current is collected in the collector. The current gain, defined as the ratio of the collector and base current, can be quite high (see Example 7.10).

In the case of the phototransistor, the base current is not provided by an external supply (often there is no base contact on the phototransistor), but via an optical signal Light shining on the device creates electron-hole pairs. These pairs are generated throughout the device, although in an HBT, the emitter can be made of a layer bandgap material and hence, designed to be transparent.

The phototransistor doping levels are designed so that the EBJ depletion width is quite small, while the BCJ depletion width is large, so that the optical signal is absorbed primarily in the BCJ depletion region. This also requires a small width for the base. The photogenerated holes in the BCJ depletion region provide the base current, as shown in Fig. 7.20b. The fraction of the photon current absorbed in the BCJ depletion region is

 $\left\{ \frac{I_{ph}(BCJ)}{I_{ph}(0)} = \eta \, \exp \left(-\alpha W_{bn} \right) \left[1 - \exp \left(-\alpha W_{BCJ} \right) \right] \right\}$ (7.72)

where η is the quantum efficiency of the material ($\eta \sim 1$ for a high quality material);

Jbu

WBC

the second term is the loss suffered by absorption in the neutral base; and the third term (in the brackets) is the absorption in the depletion region of width WBCJ.

If the phototransistor is designed so that W_{bn} is so small that $exp(-\alpha W_{bn}) \sim 1$ and the value of W_{BCJ} is large,

$$\left\{ I_{ph}(BCJ) \approx \eta I_{ph}(0) \right\} \tag{7.73}$$

In this case, essentially all of the optical signal provides a base current, since the high field in the BCJ depletion region injects the holes generated in that region into

the base. The optical gain of the device is then $(I_B = eI_{ph}(BCJ))$

$$\Gamma_G = \frac{I_e}{eI_{ph}(0)} = \frac{\eta I_e}{I_B} = \eta \beta$$
 (7.74)

where β is the current gain of the device. The dependence of β on the device parameters is discussed in Appendix D (see also Example 7.10).

The phototransistor does not have a very good high frequency response due to the very large capacitance associated with the base-collector junction. However, it finds important uses due to its low noise and high gain.

Phototransistors can be designed using heterojunction bipolar transistors. As discussed in Appendix D, heterojunctions allow one to achieve very high emitter efficiencies and yet achieve low base resistance. Thus, both gain speed and device speed are improved.

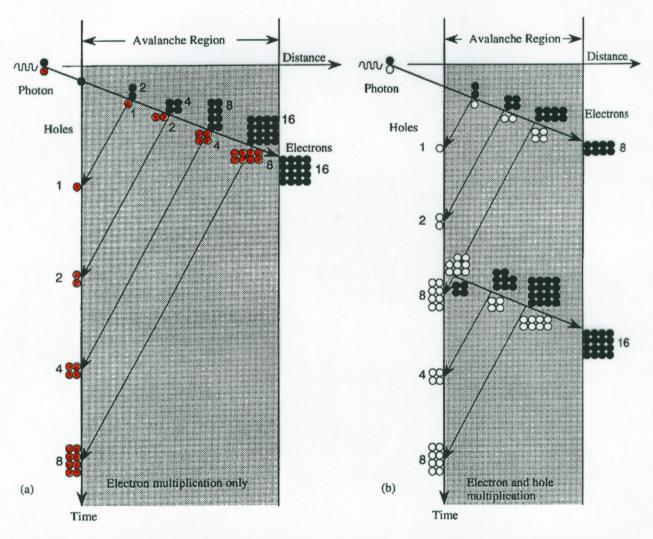


Figure 7.19: The avalanche build-up process shown as a function of time. (a) Only electrons are causing the carrier multiplication. (b) Both electrons and holes are causing the multiplication. (After J. Gowar, *Optical Communication Systems*, Prentice-Hall, Englewood Cliffs, New Jersey (1989).)

The overall device response time is then (defining $\beta_{imp}/\alpha_{imp} = k$)

$$\tau \cong \frac{W_{abs} + Mk \ W_{aval}}{v_s(\varepsilon)} + \frac{W_{abs} + W_{aval}}{v_s(h)}$$
 (7.71)

It is important to note that for large multiplication values, the produce $\frac{M}{\tau}$ is a constant. The gain-bandwidth product thus remains a constant for a device with large multiplication. This outcome is similar to that observed in the case of photoconductors as well. Thus, if one wants a very high detectivity for very weak optical signals, one has to sacrifice the device speed. Another important conclusion from the Eqn. 7.71 is that gain-bandwidth product can be optimized by choosing a material system with $\alpha_{smp} \gg \beta_{imp}$.



=D Si-obteleton

EXAMPLE 7.9 Consider a typical avalanche photodiode with the following parameters:

Incident optical power,	Pop . A	::::	50 mW
Efficiency,	Ndet	****	90%
Optical frequency,	v	**	4.5 × 1014 H s
Breakdown voltage,	$V_{\mathcal{B}}$	==	35 V
Diode voltage,	V	:::	34 V
Dark current,	I_{Ω}	::::	10 nA
Parameter n' for the multiplication		***	2

Assume that the series resistance is negligible. Calculate the a) multiplication factor;
b) photon flux; c) photocurrent.

a) The multiplication factor from Eqn. 7.67 is

$$M = \left[1 - \left(\frac{34}{35}\right)^2\right]^{-1} = 16.67$$

b) The photon flux is

$$I_{ph} = \frac{P_{op,A}}{h\nu} = \frac{(50 \times 10^{-3} W)}{(6.625 \times 10^{-34} Js)(4.5 \times 10^{14} Hz)}$$
$$= 1.68 \times 10^{17} s^{-1}$$

c) The unmultiplied photocurrent is

$$I_L = e\eta_{det}I_{ph} = (1.6 \times 10^{-19} \ C)(1.51 \times 10^{17} \ s^{-1})$$

= 24.16 mA

The multiplied photocurrent is

$$M \cdot I_L = (24.16 \text{ mA})(16.67) = 0.4 \text{ A}$$

Ladungsträger ser vielfältigung

Die APD mitet die fodungstäger tervilfältigung von Elektronen n. föckern in hohen elektrischen Feldern aus. Bei solch hohen elektrischen Feldern lewege sich die fodungshäger mit der Sättigungsgeschwindigkeit und der Stron 7.7. THE AVALANCHE PHOTODETECTOR

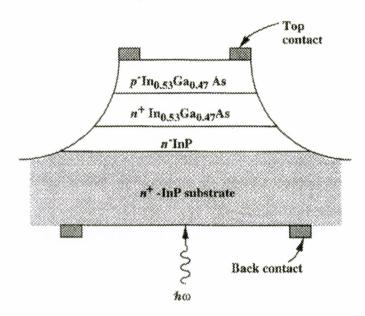


Figure 7.18: A schematic cross-section of a back illuminated InGaAs/InP avalanche photodiode. Due to the short absorption region, in the direct gap semiconductors, one can have the same region for absorption and avalanche processes.

the carriers are moving with saturation velocity and the current is simply proportional to the number of electrons and holes. The electron current has a spatial increment given by

$$\delta i_e = i_e \alpha_{imp} dx + i_b \beta_{imp} dx \tag{7.53}$$

where the first term is the contribution to excess electrons due to the electron current over a distance dx and the second term is due to the excess electrons due to the hole current. We thus have

$$\frac{di_c}{dx} = i_c \alpha_{imp} + i_h \beta_{imp} \tag{7.54}$$

A similar equation exists for the hole current derivative. Even though both the electron and hole current change with spatial position, the total current is constant over the device

$$I = i_e(x) + i_h(x) = \text{constant}$$
 (7.55)

Let us consider a case where we have an avalanche region extending from x = 0 to x = W and at x = W, only electrons are injected. Thus we have

$$i_h(W) = 0; \quad i_e(W) = I$$
 (7.56)

Expressing $i_k(x)$ in terms of $i_k(x)$ and I by using Eqn. 7.55, we get from Eqn. 7.54

$$\frac{di_c(x)}{dx} - (\alpha_{imp} - \beta_{imp})i_c(x) = \beta_{imp}I$$
 (7.57)

374

This equation is of the form

$$\frac{dy}{dx} + Py = Q \tag{7.58}$$

and has a standard solution given by

$$i_e(x) = \frac{i_e(0) + \int_0^x \beta_{imp} I \, exp \left\{ -\int_0^x (\alpha_{imp} - \beta_{imp}) dx' \right\} dx}{exp \left\{ -\int_0^x (\alpha_{imp} - \beta_{imp}) dx' \right\}}$$
(7.59)

The multiplication factor for the device can be defined by the relation

$$M_e = \frac{I}{i_e(0)} = \frac{i_e(W)}{i_e(0)} \tag{7.60}$$

i.e., the ratio of the electron current injected at x = 0 and the total current in the device. We get

$$M_{s} = \frac{i_{s}(0) + i_{s}(W) \int_{0}^{W} \beta_{imp} \exp \left\{-\int_{0}^{x} (\alpha_{imp} - \beta_{imp}) dx'\right\} dx}{i_{s}(0) \exp \left\{-\int_{0}^{W} (\alpha_{imp} - \beta_{imp}) dx\right\}}$$
(7.61)

Using standard solutions for the integral

$$\exp\left\{-\int_{0}^{W}(\alpha_{imp}-\beta_{imp})dx\right\} = 1 - \int_{0}^{W}(\alpha_{imp}-\beta_{imp})\exp\left\{-\int_{0}^{x}(\alpha_{imp}-\beta_{imp})dx'\right\}dx$$
(7.62)

we get

$$M_e = \frac{1}{1 - \int_0^W \alpha_{imp} \exp\{-\int_o^x (\alpha_{imp} - \beta_{imp}) dx'\} dx}$$
 (7.63)

The condition for breakdown is when $M_e \longrightarrow \infty$, i.e., when

$$\int_{\sigma}^{W} \alpha_{imp} \exp\{-\int_{\sigma}^{x} (\alpha_{imp} - \beta_{imp}) dx'\} dx = 1$$
 (7.64)

If the avalanche process is taking under a uniform electric field, the values of α_{imp} , β_{imp} have no spatial dependence and we have

$$M_{e} = \frac{1}{1 - \alpha_{imp} \int_{o}^{W} exp\{-(\alpha_{imp} - \beta_{imp})x\} dx}$$

$$H_{e} = \frac{1}{1 - \frac{\alpha_{imp} - \beta_{imp}}{\alpha_{imp} - \beta_{imp}} [1 - exp\{-(\alpha_{imp} - \beta_{imp})W\}]}$$
(7.65)

375

If α_{imp} and β_{imp} are the same, we simply get

$$\left\{ M_e \longrightarrow \frac{1}{1 - \alpha_{imp}W} \right\} \tag{7.66}$$

The values of M_e (or M_h) that can be obtained in real devices are limited by other processes that may occur at high fields, especially in narrow bandgap semiconductors. For example, tunneling current due to band to band tunneling limits M to ~ 10 in detection using $I_{10.53}Ga_{6.47}As$ material.

In an experimental setup, two factors related to circuit parameters limit the multiplication level reached. One is the series resistance R_s between the junction and the diode terminals. The second factor comes from the fact that once multiplication starts, the device temperature increases and this reduces α_{imp} and β_{imp} and thus limits $M_s(M_h)$. In a diode with a breakdown voltage V_B , the experimentally observed multiplication factor can be fitted to the following relation:

$$M = \frac{1}{\left[1 - \left(\frac{V - LR}{VB}\right)\right]^{N}} \tag{7.67}$$

where n is a parameter depending upon the device design, R is an effective resistance which includes the series resistance R_S and any thermal effects, V is the applied bias.

7.7.2 APD Bandwidth

A key attraction of the APD's is the high gain that can be achieved in the device. Thus the device is suitable for detection of very low photon intensities. However, a price has to be paid in terms of the device bandwidth and noise. In an APD having the general configuration of Fig. 7.17, the device response is limited by three important times:

i) the transit time across the absorbing region

$$t_{tr}(e) = \frac{W_{abs}}{v_s(e)}$$
(7.68)

ii) the time required for the avalanche process to develop, tA;

iii) the transit time for the holes generated during the avalanche process to transmit through the absorbing region back to the p-region.

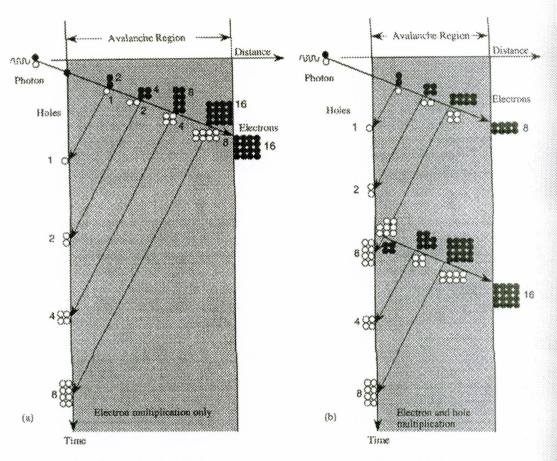


Figure 7.19. The avalanche build-up process shown as a function of time. (a) Only electrons are causing the carrier multiplication. (b) Both electrons and holes are causing the multiplication. (After J. Gowar, Optical Communication Systems, Prentice-Hall, Englewood Cliffs, New Jersey (1989).)

The avalanche delay time t_A depends upon the value of α_{imp}/β_{imp} . If $\alpha_{imp} \gg \beta_{imp}$, just a single pass of the electrons across W_{aval} generates the entire avalanche process as shown in Fig. 7.19. However, for a general α_{imp}/β_{imp} ratio, the delay time is

$$t_A = \frac{M\beta_{imp}W_{aval}}{\alpha_{imp}v_s(e)}$$
 (7.70)

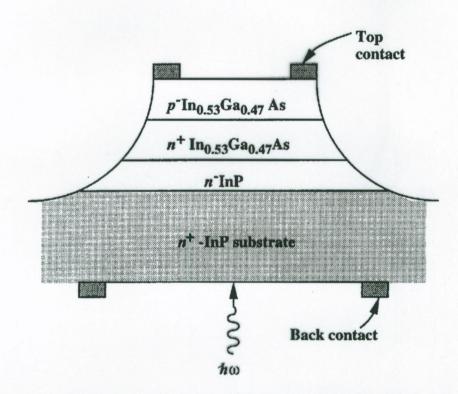
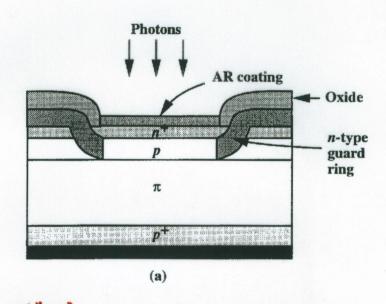


Figure 7.18: A schematic cross-section of a back illuminated InGaAs/InP avalanche photodiode. Due to the short absorption region, in the direct gap semiconductors, one can have the same region for absorption and avalanche processes.



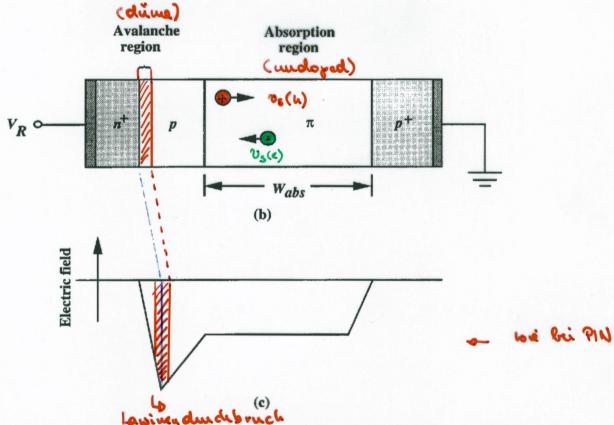


Figure 7.17: (a) A schematic of the reach through APD. (b) The cross-section of the APD showing the regions for absorption and avalanching. In the structure shown, the electrons are responsible for starting the multiplication process. (c) The electric field profile in the APD structure. The strong field at the n^+p junction causes the avalanche process.

| E | > 105 V/cm

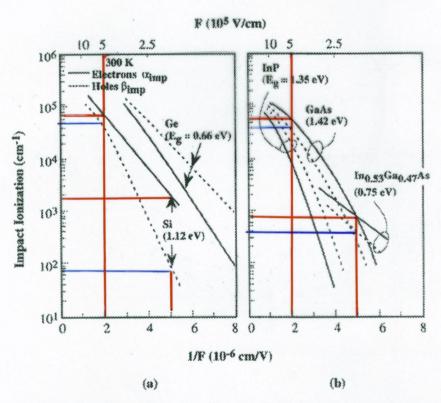


Figure B.3: Ionization rates for electrons and holes at 300 K versus reciprocal electric field for Ge, Si, GaAs, Inc. 83 Gao. 47 and InP. (Si, Ge results are after S.M. Sze. Physics of Semiconductor Devices, John Wiley and Sons (1981); InP. GaAs, InGaAs results are after G. Stillman, Properties of Lattice Matched and Strained Indium Gallium Arsenide, ed. P. Bhattacharya, INSPEC, London (1993).

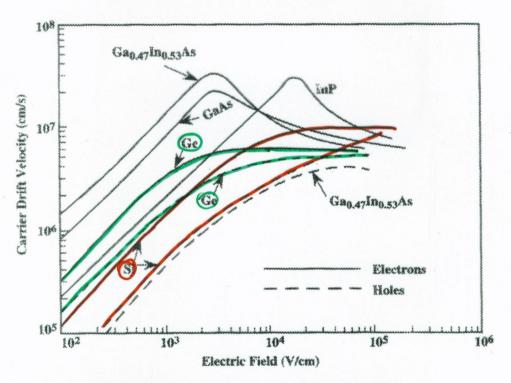


Figure B.2: Velocity-Field relations for several semiconductors at 300 K.



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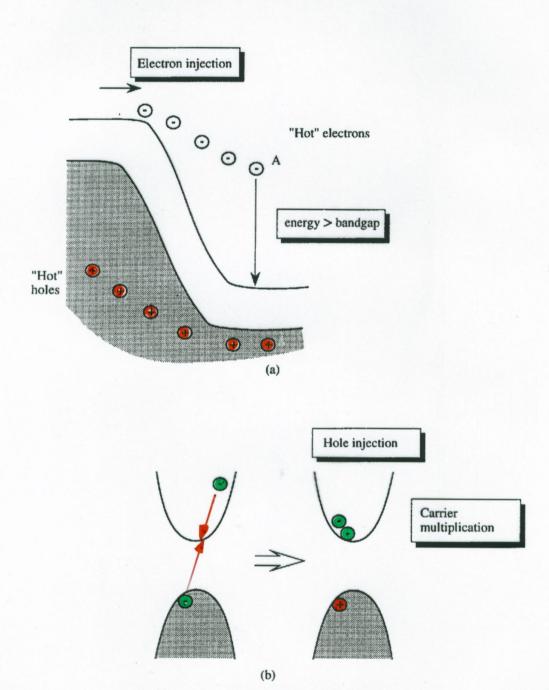


Figure 7.16: (a) A schematic of a reverse biased p-n junction. The electron A has an energy greater than the bandgap of the semiconductor. (b) A "hot" electron in the conduction band interacts with an electron in the valence band to generate two electrons and a hole, as shown.

Pholohausistor



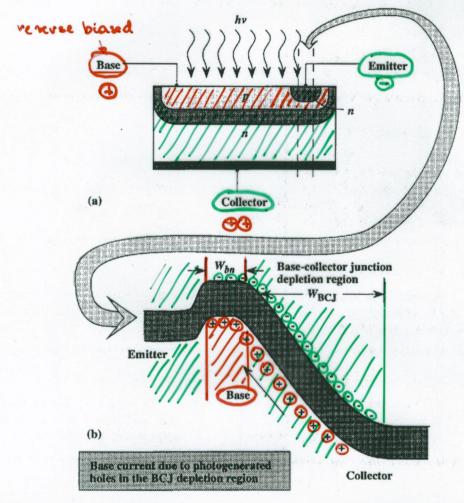


Figure 7.20: (a) A schematic of the phototransistor. (b) Band diagram of the phototransistor which is in the open base mode. Holes generated in the reverse biased base-collector junction region provide a base current signal which causes the electrons to be injected from the emitter.

E-B in forward direction

B-C in reverse bias